

Fig. 1

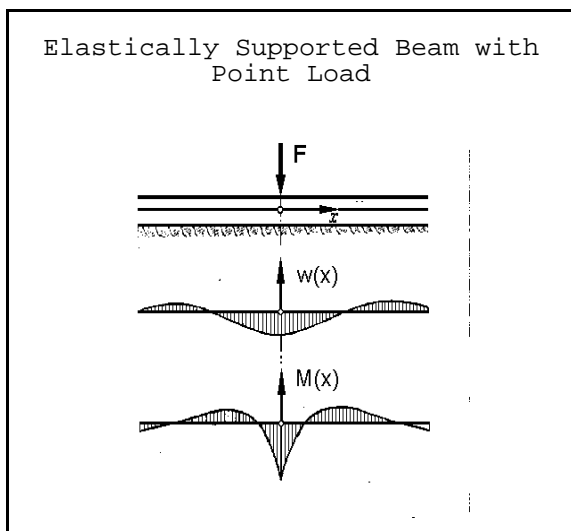


Fig. 2

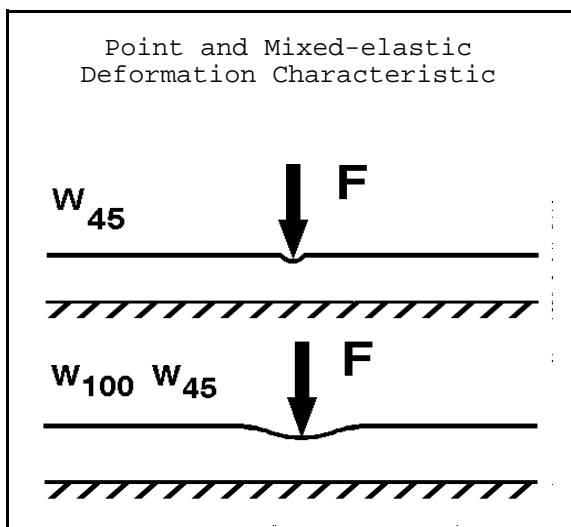


Fig.

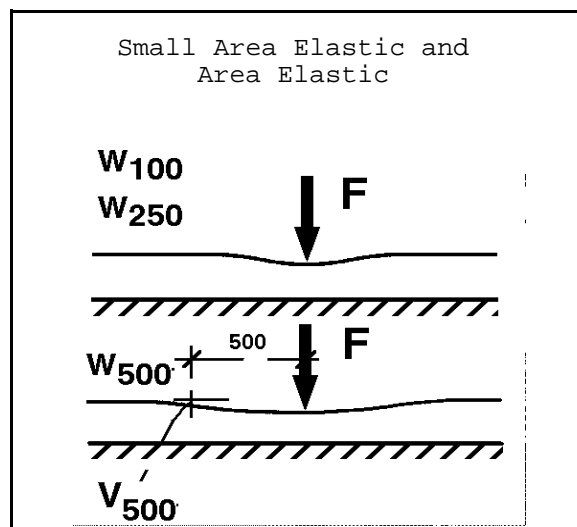


Fig.

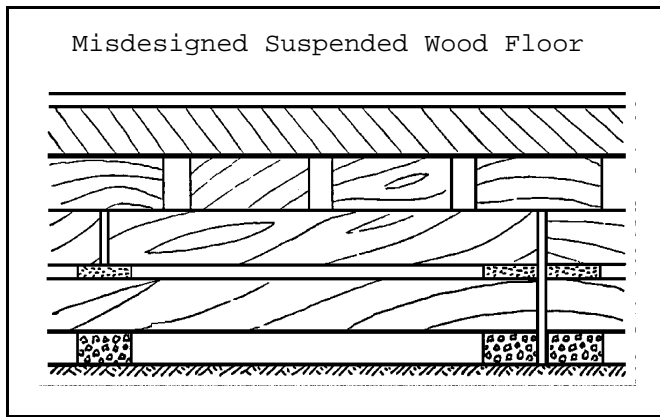


Fig. 6

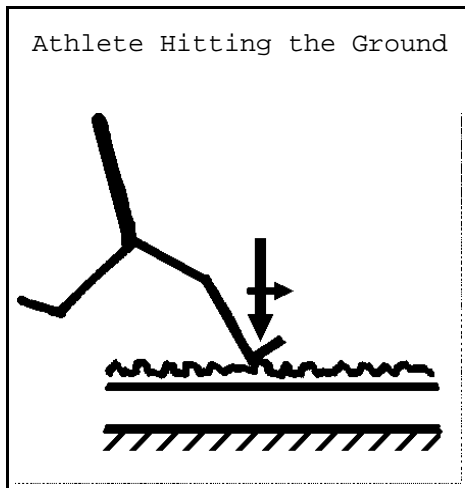


Fig. 9a

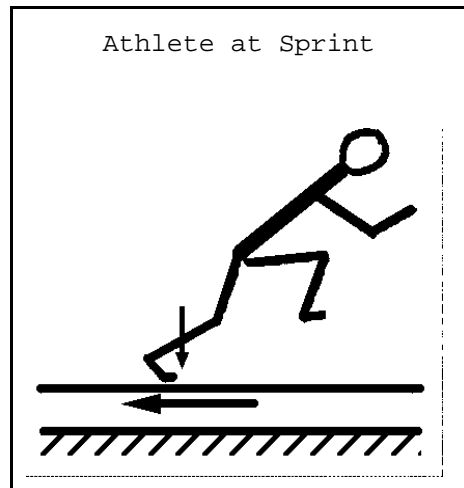


Fig. 9b

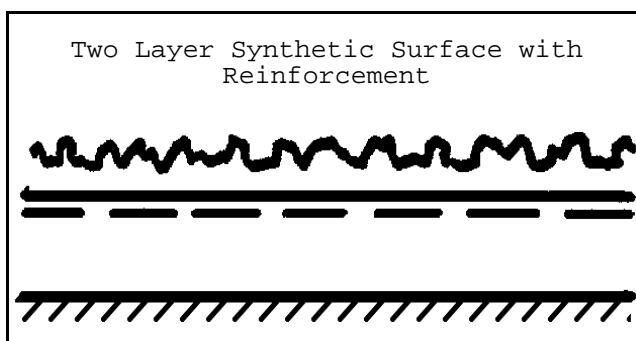


Fig. 10

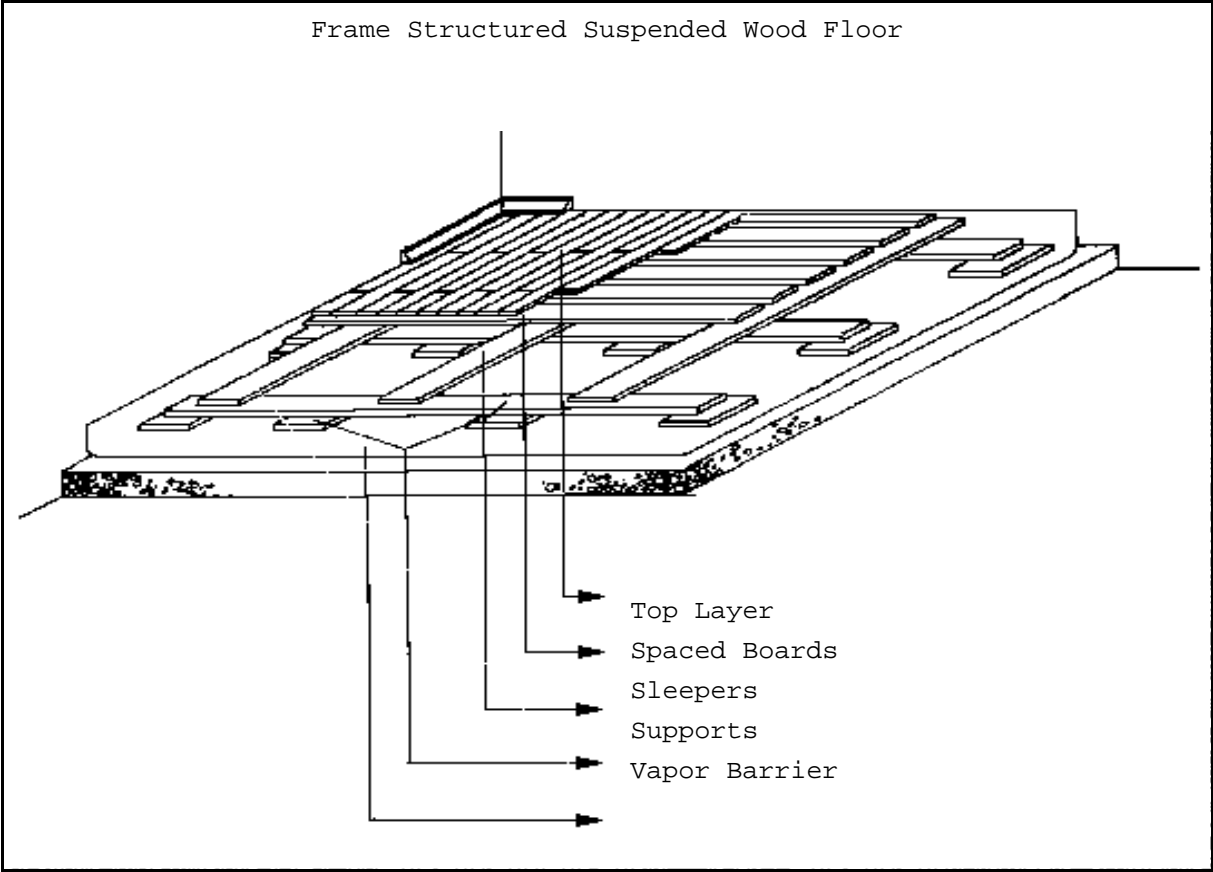


Fig.

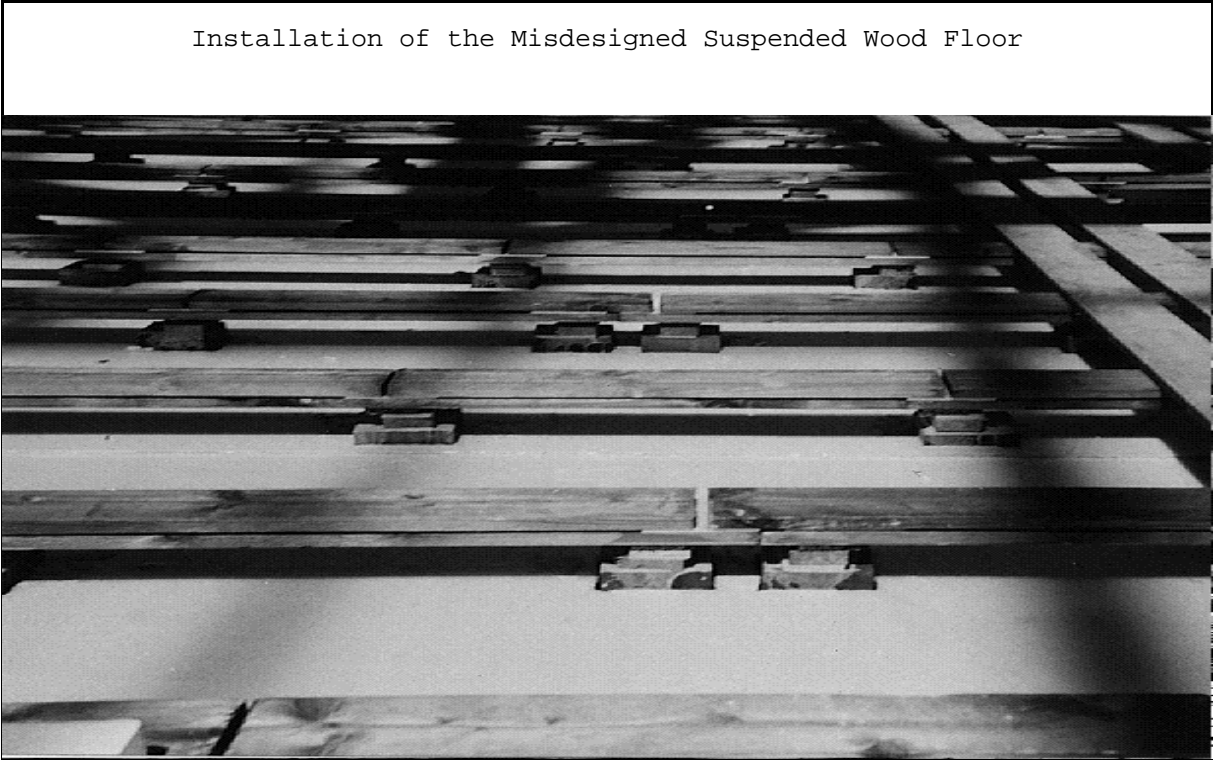


Fig.

<p>Differential Equation of the Elastically Supported Beam</p> $q(x) = w^{(4)}(x) + \frac{K}{EJ} w(x)$ <p> $w(x)$ = Deformation Line $q(x)$ = Loading Function E = Modulus of Elasticity J = Moment of Inertia K = Spring Number of Elastic Bed </p> <p>Formula</p>	<p>Moment of Inertia of the Load Distributing Slab</p> $J = b * d^3 / 12$ <p> b = Width of Beam d = Thickness of Beam </p> <p>Formula 2</p>
<p>Deformation Line of the Elastically Supported Beam</p> $w(x) = -\frac{F}{K} \frac{1 - \cos(\delta + \pi/4)}{\sin(\delta + \pi/4)} + e^{-\delta * \sin(\delta + \pi/4)}$ <p> $w(x)$ = Deformation Line F = Point Load $\Phi = (4 * EJ / K)^{1/4}$ $\delta = x / \Phi$ K = Spring Number of Elastic Bed </p> <p>Formula</p>	<p>Maxim. Deformation of the Elastically Supported Beam With Point Load</p> $w(x=0) = \frac{F}{K^3} * 0.5$ <p>(EJ)</p> <p>Formula 4</p>
<p>Maxim. Stress of the Elastically</p> $M(x=0) = 0.25 * F * \Phi$ $\sigma(x=0)_{max} = \frac{M(x=0)}{J} * d/2$ <p>Formula</p>	